Shift Effect in Emergency Departments

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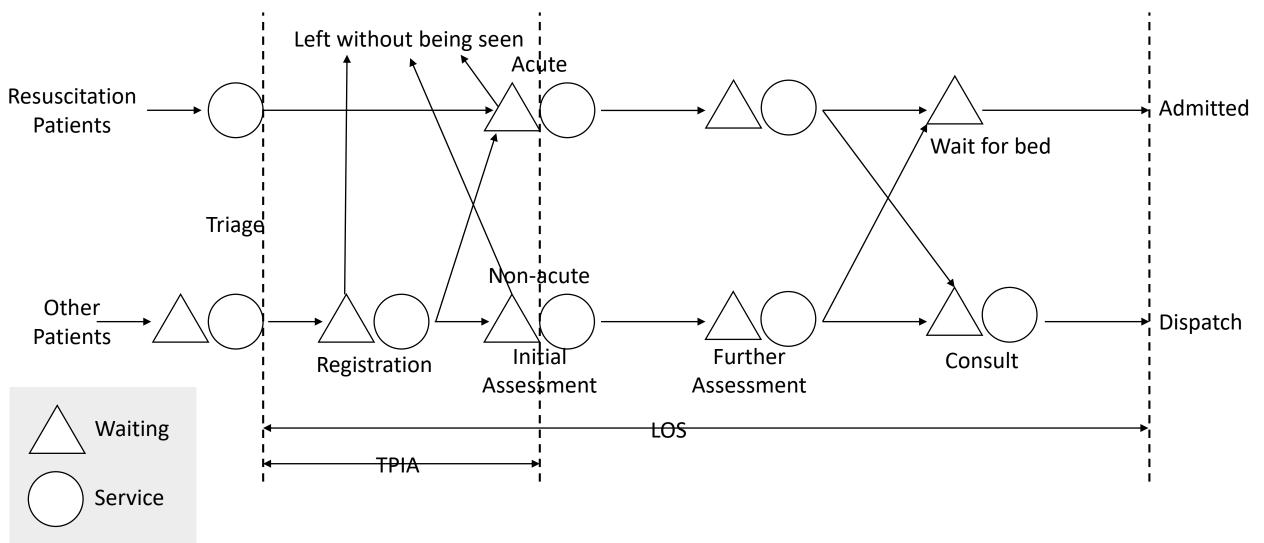
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Background: Pay-for-Performance Program (P4PP) in Ontario

- Emergency Departments are experiencing long waiting time in Canada
 - Canada has the worst ER wait times in 11 developed countries (Toronto Sun, February 16, 2017)
- In 2008, the Ontario Ministry of Health and Long-Term Care launched P4PP to reduce waiting
- Performance is measured based on the 90th percentile of
 - Length of stay (LOS)
 - Time to physician initial assessment (TPIA)
 - Time to inpatient bed
 - Ambulance off-load time

Patient Flow and Performance Measures

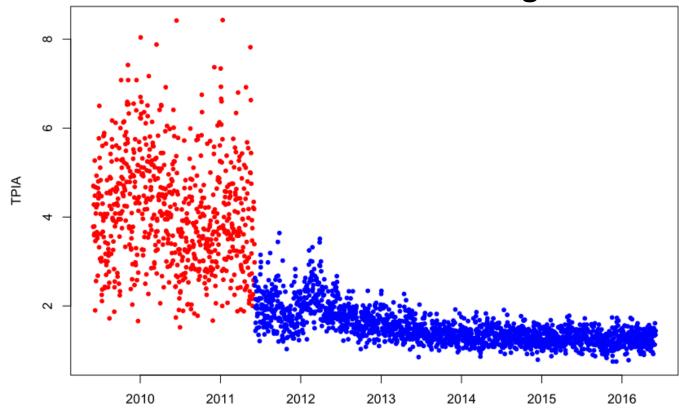


New Patients

Reentrant Patients

ED Redesign in Southlake Regional Health Center

- Implemented in Southlake RHC in June, 2011
- Huge improvement in TPIA: ranked first among 73 EDs in Ontario

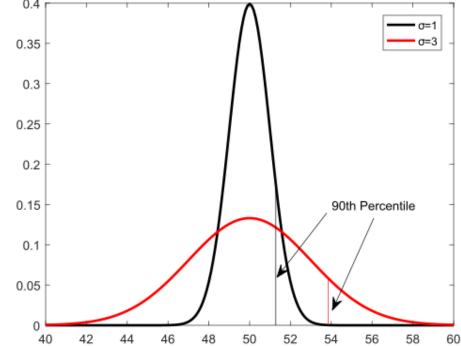


Traditional Viewpoint

- Shanthikumar & Yao (1992) shows a classical result for multi-class service system:
 - To optimize the *expected* performance measure of a certain class, absolute priority should be given to that class over all other classes
- For example,
 - To minimize the expected waiting time of Amazon Prime customers, always prioritize their orders
 - To reduce the expected service delay of cloud computing, prioritize corporate users over personal users
- So, Southlake must have prioritized new patients!
- On the contrary, priority was given to **reentrant** patients

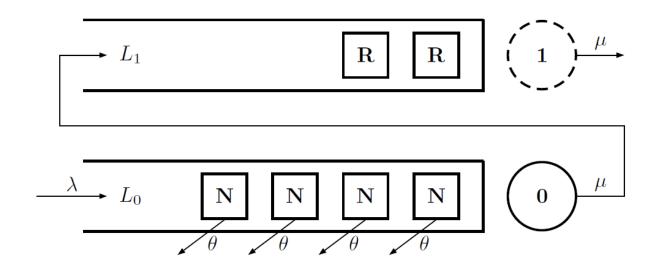
TPIA is Measured at 90th Percentile

- In P4PP, KPI is the 90th percentile of TPIA
- Variance has a big influence on the 90th percentile
- Hypothesis: Prioritizing reentrant patients reduces the variance of TPIA



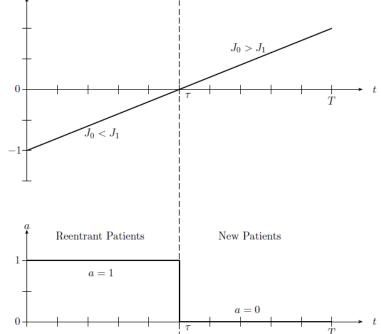
A Queueing Model

- Without enforcing any priority rule, the physician will schedule herself
- At any time, she could choose to see new (N) or reentrant (R) patients
- In Southlake, many ED physicians are paid on fee-for-service basis: by the number of patients served
- What's her optimal strategy?

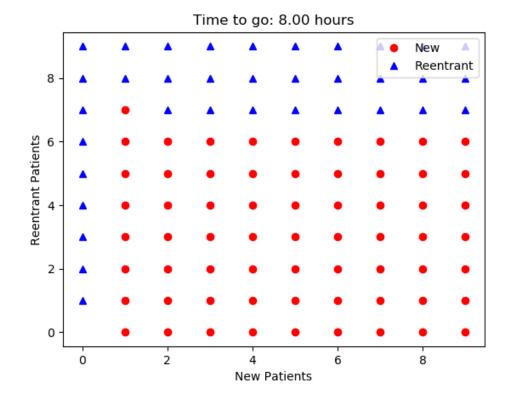


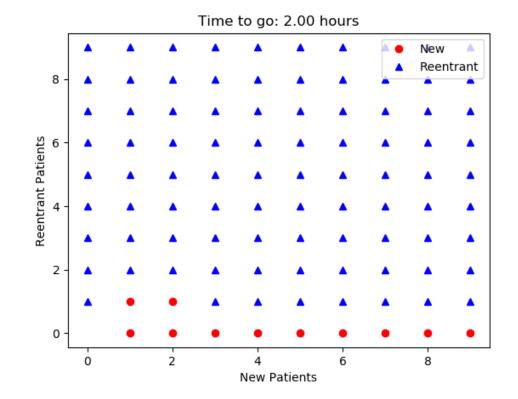
Optimal Strategy: Time Pattern

- We use J₀(L₀, L₁, t) and J₁(L₀, L₁, t) to denote the revenue of seeing new patients and reentrant patients
- L_0 : number of new patients; L_1 : number of reentrant patients
- Here *t* is "time-to-go": how many hours left before the shift ends

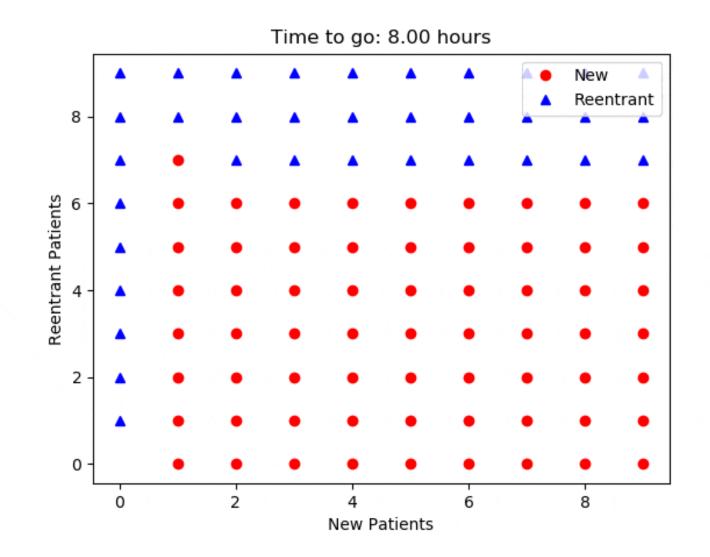


Optimal Strategy: Time Pattern





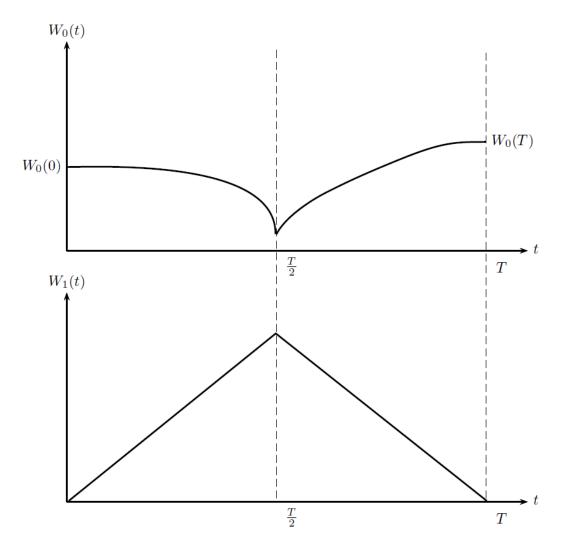
Optimal Strategy: Time Pattern



Shift Effect in ED

- The physician uses time as a "resource": she needs to maximize revenue using remaining time in the shift
- The optimal strategy has a time-dependent pattern. It has two phases:
 - At the first phase of a shift, the physician exclusively sees new patients (Storage)
 - At the second phase of a shift, she exclusively departures reentrant patients (Realize Revenue)
- New patients arriving in the first phase experience shorter TPIA, while those arriving in the second phase experience excessively long TPIA
- This increases variance of TPIA and results in large 90th percentile of TPIA

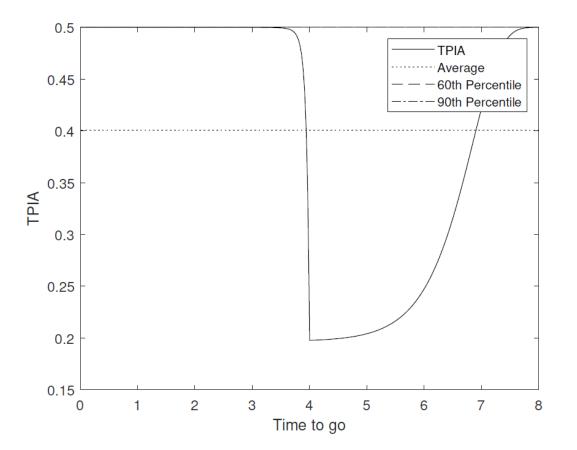
Effect on TPIA



Workload (or number) of new patients

Workload (or number) of reentrant patients

Pattern of TPIA within a Shift



Benchmark against Serial System

- We consider an benchmark system where patients receive two assessments in series
- That is, whenever there is a new patient finishing first assessment, the physician must see him before she can start a second new patient
- Result: for any p>50, the pth percentile of TPIA of the serial system is smaller than self-schedule system; no first order difference in physicians' revenue

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Conclusion

